

Electric dipole polarizability for medium-heavy nuclei

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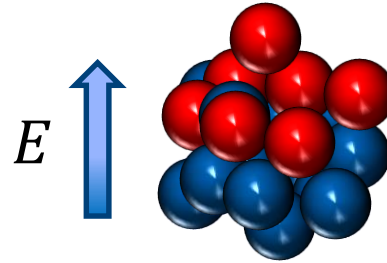
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THE UNIVERSITY OF
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Electric dipole polarizability

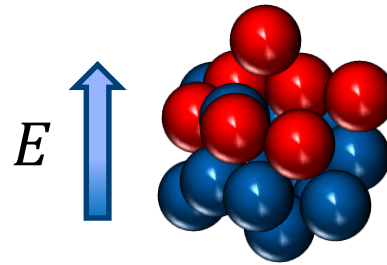
$$\alpha_D = 2\alpha \int \frac{R(\omega)}{\omega} d\omega$$



$$D = \alpha_D E$$

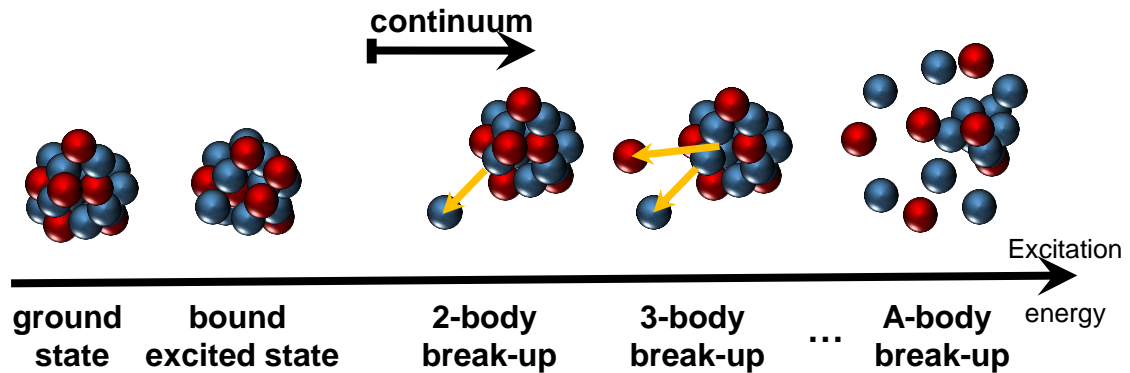
Electric dipole polarizability

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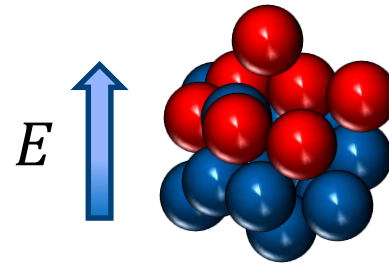
$$D = \alpha_D E$$

$$R(\omega) = \sum_f |\langle \Psi_f | D | \Psi_0 \rangle|^2 \delta(\omega - E_0 - E_f)$$



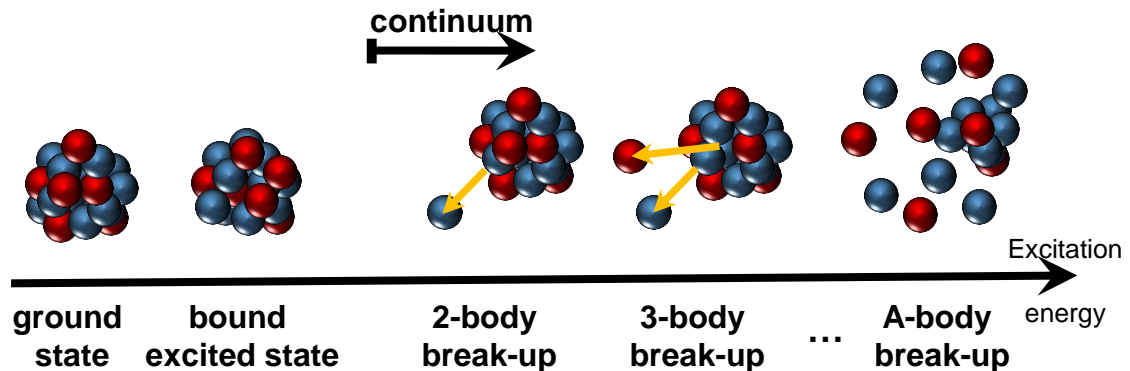
Electric dipole polarizability

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• Continuum problem



• Integral transforms

Reduce the continuum problem to a bound-state one

Integral transforms

$$R(\omega) = \sum_f |\langle \Psi_f | D | \Psi_0 \rangle|^2 \delta(\omega - E_0 - E_f)$$



Calculate integral transform (Lorentz
integral transform for example)

$$\mathcal{L}(\{\sigma_i\}) = \int K(\{\sigma_i\}, \omega) R(\omega) d\omega = \langle \tilde{\Psi} | \tilde{\Psi} \rangle$$



Inversion

$|\tilde{\Psi}\rangle$ is the solution of a bound-state
many-body equation



Use a bound-state technique
(coupled cluster theory)

Technical details in the poster

Results with 3NF

$$\alpha_D = 2\alpha \int \frac{R(\omega)}{\omega} d\omega$$

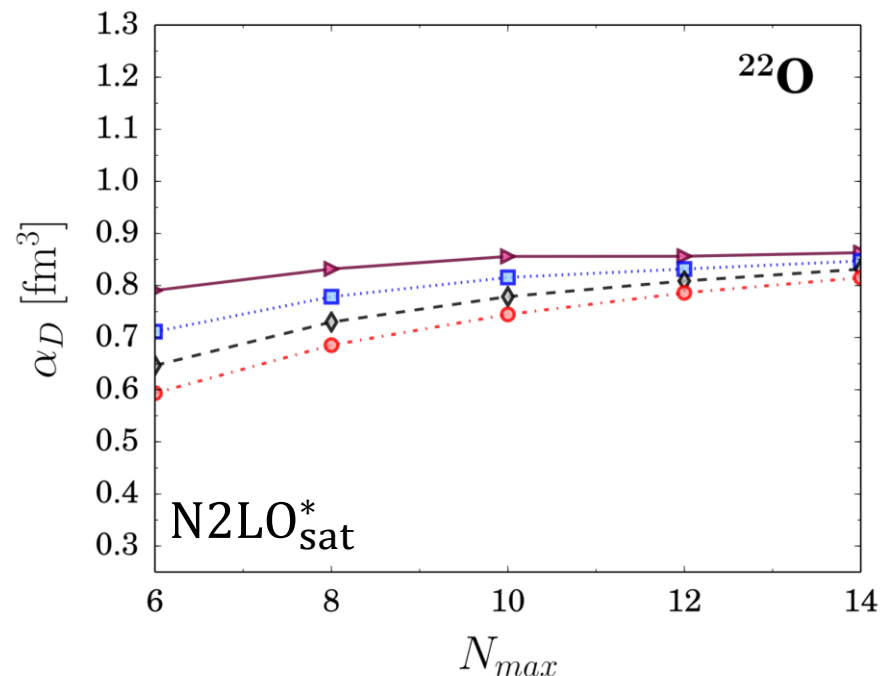
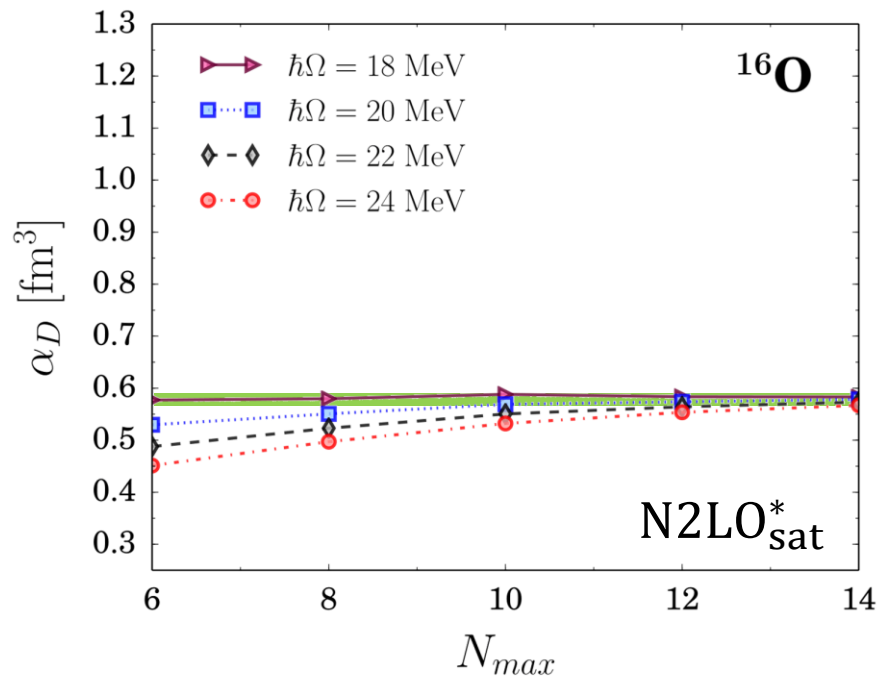
α_D is sensitive to the dipole strength at low energy,
thus can be used to study neutron-rich nuclei

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[M.M. et al](#), in preparation.



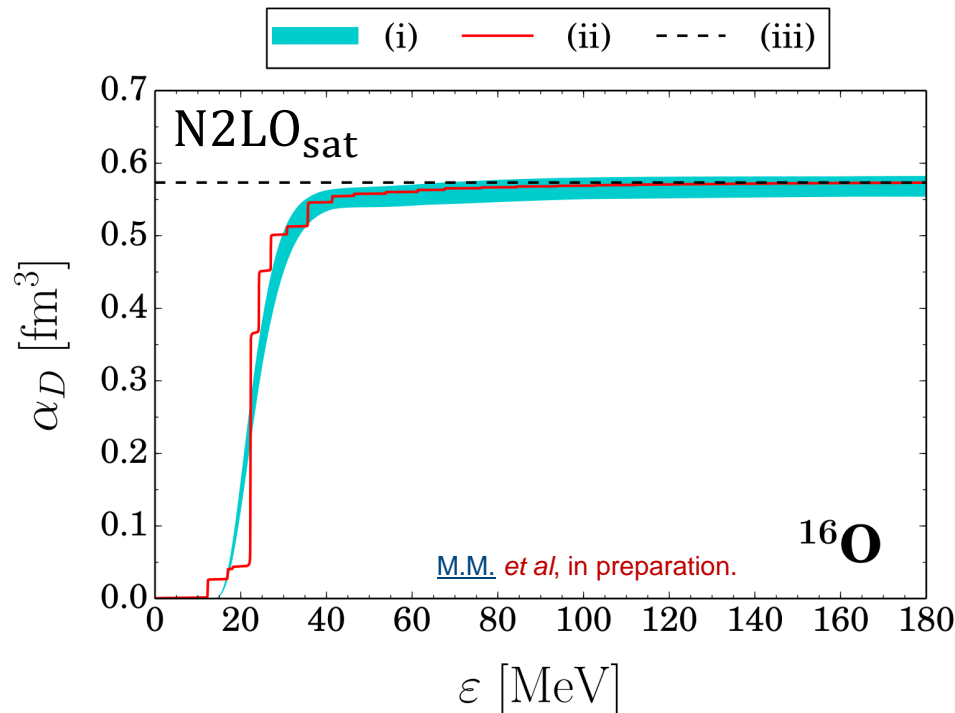
$$\alpha_D(^{16}\text{O}) < \alpha_D(^{22}\text{O})$$

Low energy dipole strength, indication of a pigmy dipole resonance in ^{22}O as observed experimentally at GSI from Leistenschneider *et al.* [Phys. Rev. Lett. 86, 5442 (2001)]

Energy dependent polarizability

$$\alpha_D(\varepsilon) = 2\alpha \int_0^\varepsilon \frac{R(\omega)}{\omega} d\omega$$

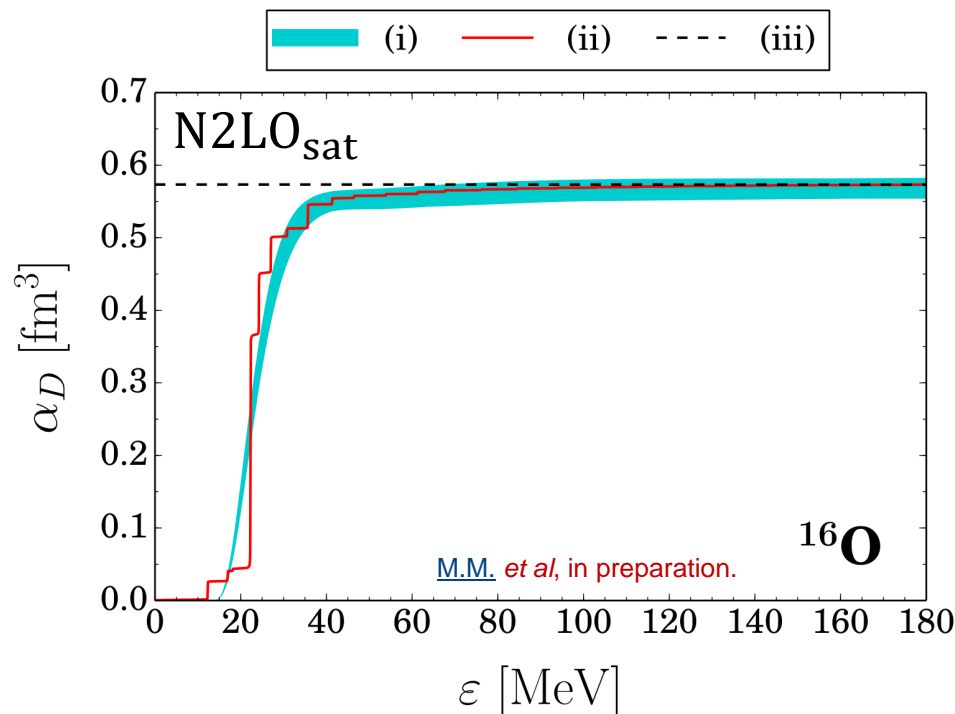
Polarizability as a function of the upper integration limit



Energy dependent polarizability

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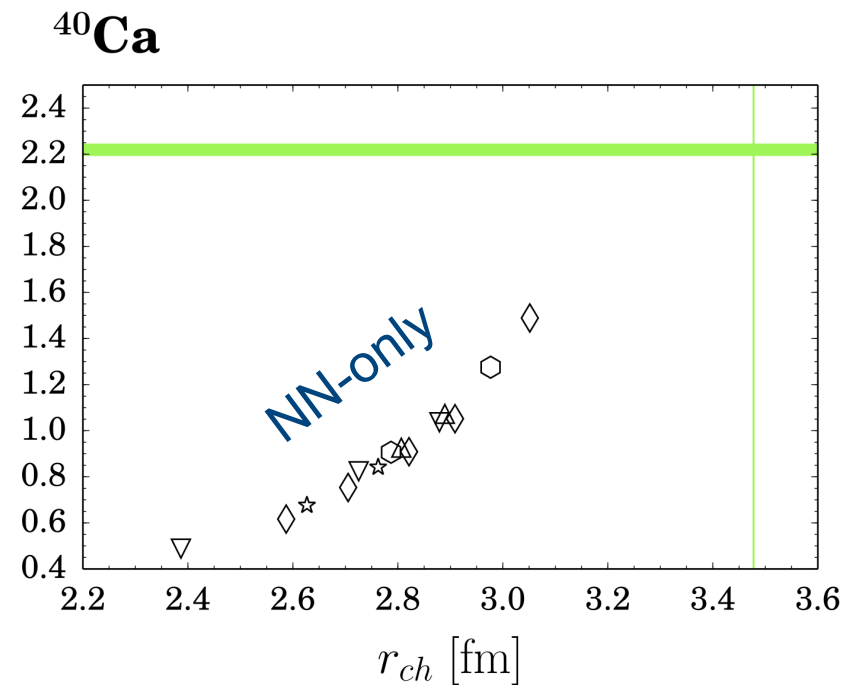
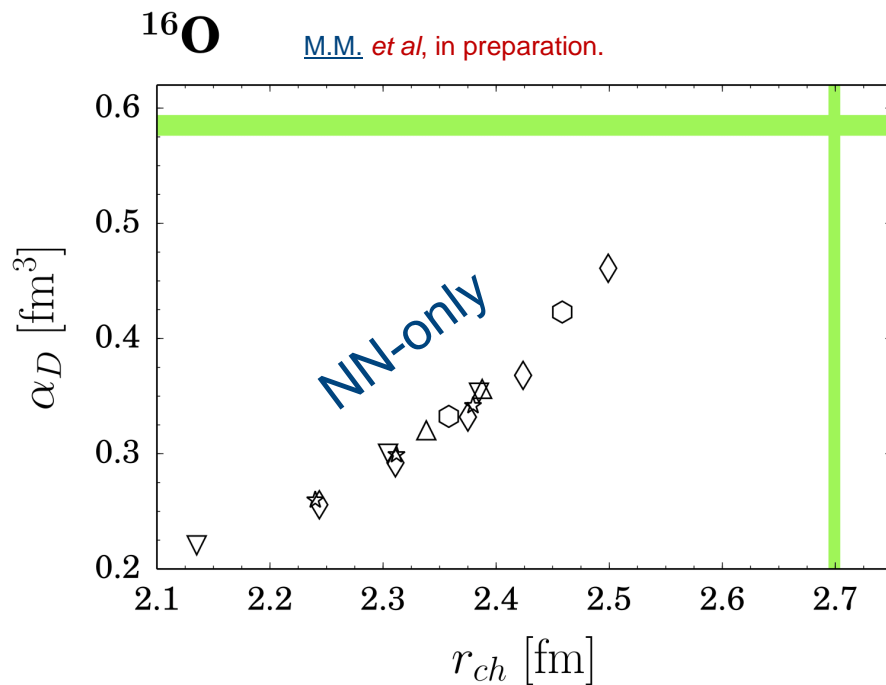
Polarizability as a function of the upper integration limit



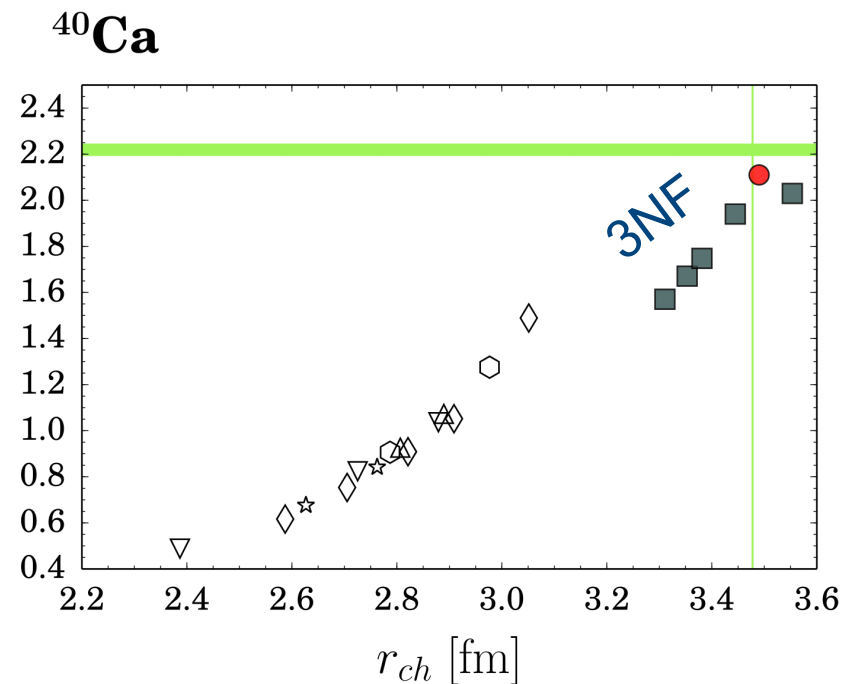
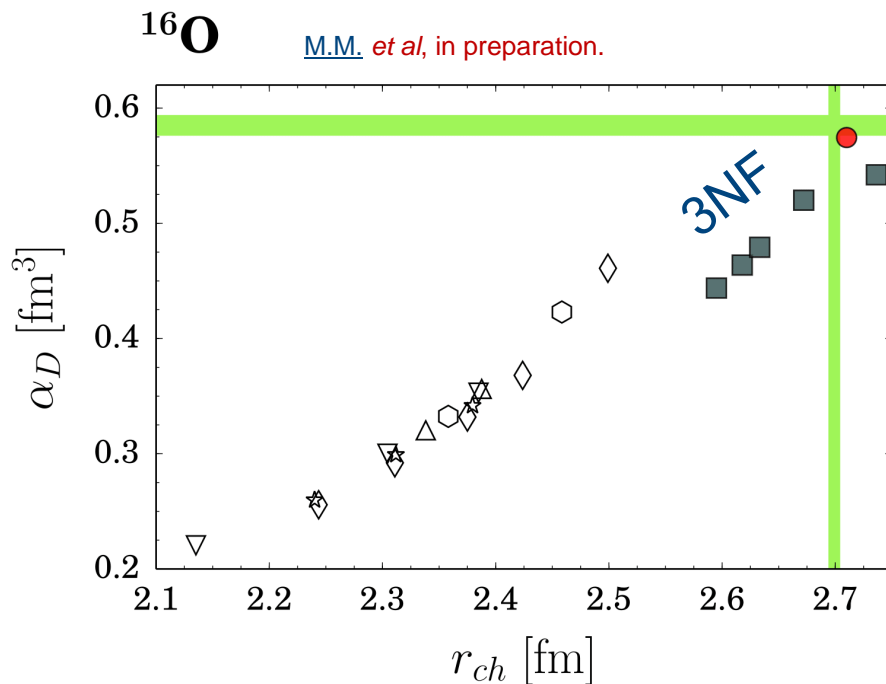
- Different methods show agreement
- More details on the poster

Useful to compare calculations with experimental data which are usually only available to the low-energy region

A tool to estimate the uncertainty in the calculations arising from the incomplete knowledge of the nuclear Hamiltonian



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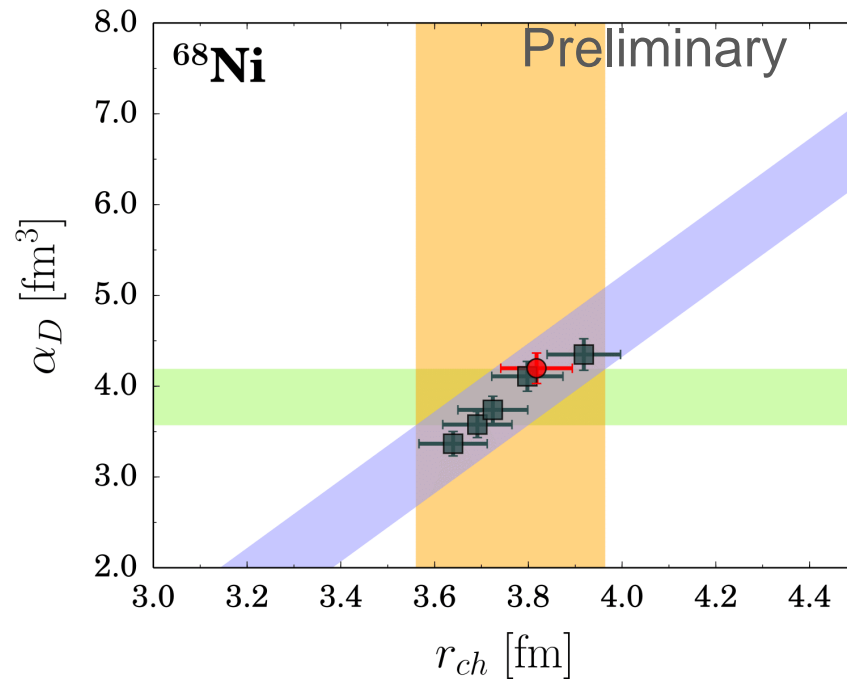
● A. Ekström *et al.*, Phys. Rev. C91, 051301 (2015)

■ K. Hebeler *et al.*, Phys. Rev. C83, 031301 (2011)

Same interactions used for ⁴⁸Ca
(Nature Physics 12, 186–190 (2016))

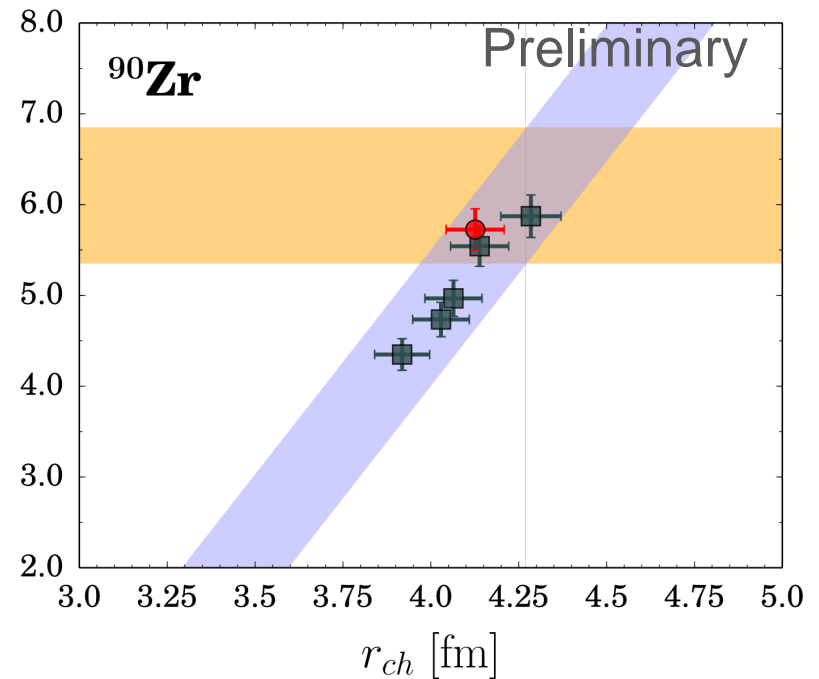
Towards heavier nuclei...

Correlations can be used to predict observables



Charge radius of ^{68}Ni is not known experimentally

$$r_{ch}^{exp}(^{64}\text{Ni}) = 3.86 \text{ fm}$$



Attempt to measure α_D at TRIUMF for ^{90}Zr

$$\alpha_D^{DFT} \approx 5.65 \text{ fm}^3$$

Come to visit my poster....

Thank you!

